

## AbstractID: 11269 Title: Pharmacokinetic Analysis of Hypoxia 18-Fluoromisonidazole Dynamic PET Imaging in Head and Neck Cancer

**Purpose:** This paper uses pharmacokinetic analysis of 18-Fluoromisonidazole (FMISO) dynamic PET imaging to investigate if there is any correlation between tumor hypoxia ( $K_i$ ), tumor-to-blood ratio ( $T/B$ ) in late-time image, local blood perfusion ( $k_l$ ), and local vasculature fraction ( $\beta$ ) for head-and-neck cancer patients. **Methods and Materials:** Newly diagnosed patients with head-and-neck cancer prior to chemotherapy or radiotherapy underwent dynamic FMISO-PET scan. The data was acquired in 3 consecutive PET/CT dynamic scan segments, with start acquisition time [0, 1, 2, 3, 4, 5, 10, 15, 20, 25, 90, 95, 180, 185] minutes, consisting of 5 frames in 1-minute frames, following by 5-minutes frames. The dynamic PET images were first registered with each other and then analyzed using Philips Research's Voxulus pharmacokinetic software. The ( $K_i$ ,  $k_l$ ,  $\beta$ ) kinetic parameter images were derived for each patient. **Results:** Nine head-and-neck cancer patients' data were analyzed. Representative images of FDG-PET (showing the tumor), CT (showing the anatomy), late-time FMISO-PET (showing  $T/B$ ), and ( $K_i$ ,  $k_l$ ,  $\beta$ ) kinetic parameter images were shown consisting of a patient example with good concordance of tumor hypoxia and high  $T/B$ , one with concordance of no tumor hypoxia and low  $T/B$ , and one with ambiguity between tumor hypoxia and  $T/B$ . Scatter diagrams were plotted between each pair of  $T/B$ ,  $K_i$ ,  $k_l$ ,  $\beta$  and corresponding correlation coefficient computed. **Conclusions:** There is strong positive correlation between ROI's  $T/B$  and hypoxia index  $K_i$ . However, due to the statistical photon counting noise in PET imaging, and the amplification of noise in kinetic analysis, the direct correlation between individual pixel's  $T/B$  and hypoxia is not obvious. For a tumor ROI, there is slight negative correlation between  $k_l$  and  $K_i$ , moderate positive correlation between  $\beta$  and  $K_i$ , but no correlation between  $\beta$  and  $K_i$ .

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